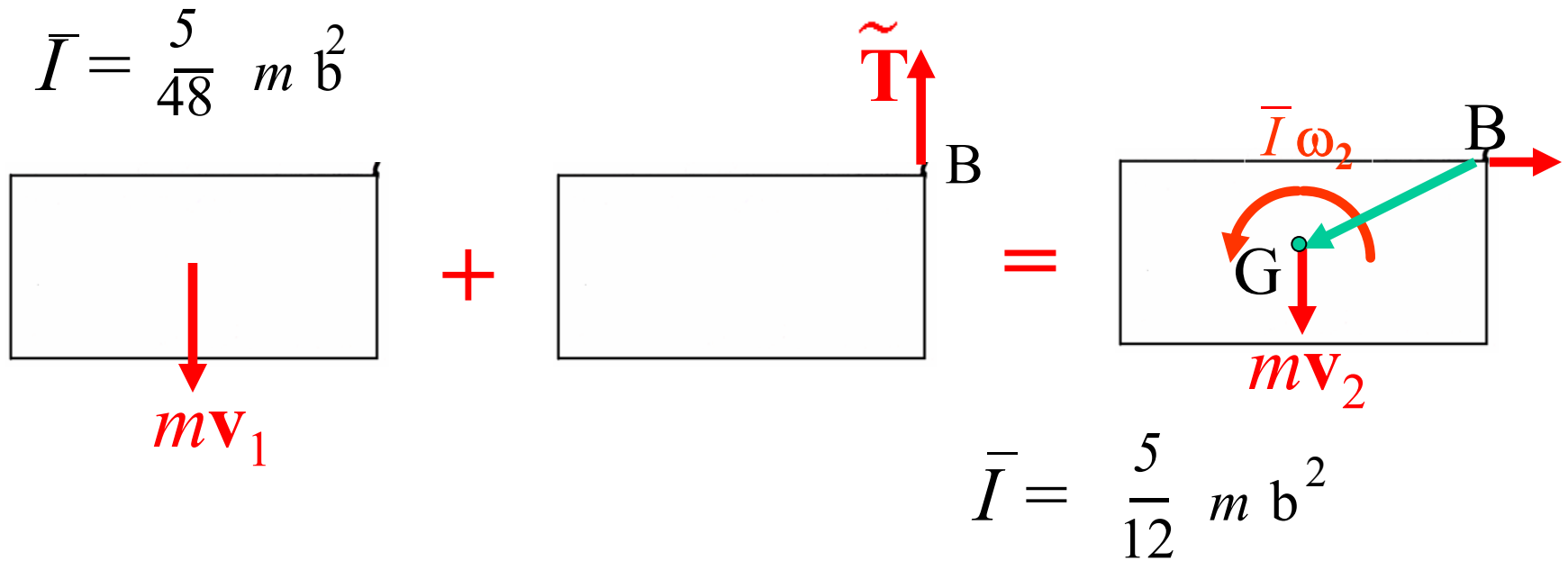


$$\bar{I} = \left(\frac{m}{12}\right) \left(\frac{b^2}{4} + b^2\right)$$

$$\bar{I} = \frac{5}{48} m b^2$$

The uniform plate ABCD is falling with a velocity v_1 when wire BE becomes taut. Assuming that the **impact is perfectly plastic**, determine the angular velocity of the plate and the velocity of its mass center immediately after the impact.



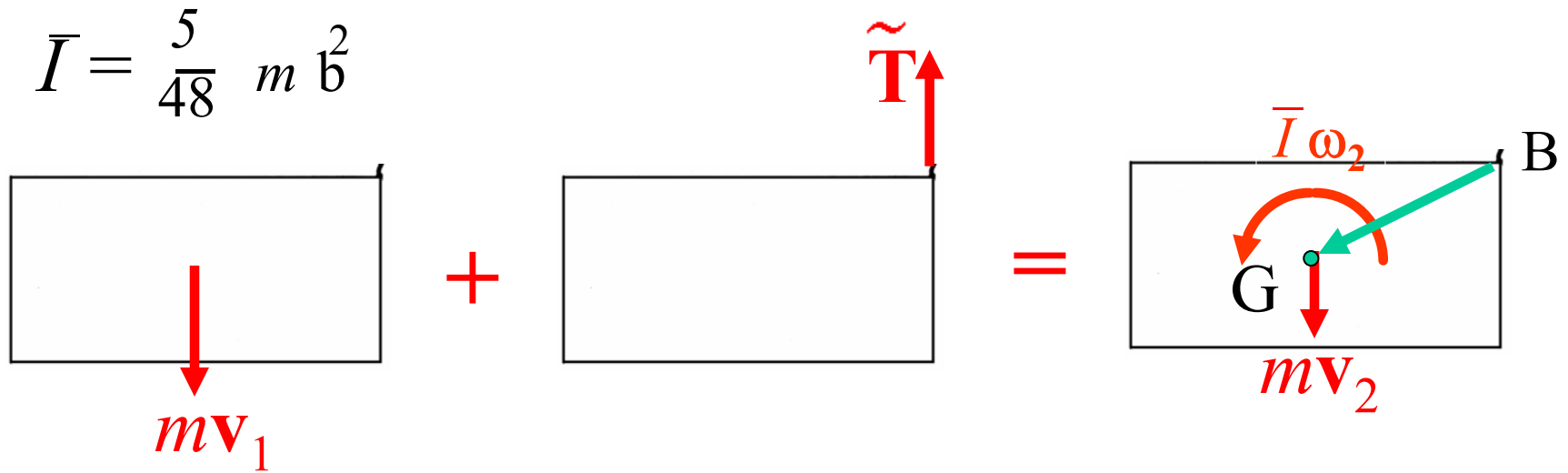
$$\rightarrow \quad 0 + 0 = m v_{2x}$$

$$\uparrow \quad - m v_1 + \tilde{T} = m v_{2y}$$

$$B) \quad \left[0 + \frac{b}{2} m v_1 \right] + 0 = \left[\bar{I} \omega_2 + \frac{b}{2} m v_{2y} \right]$$

Kinematics: $\mathbf{v}_G = \mathbf{v}_B \mathbf{i} + \omega_2 \times \mathbf{r}_{G/B}$

(for position 2 after the impact)



Kinematics: $\mathbf{v}_G = \mathbf{v}_B \mathbf{i} + \omega_2 \mathbf{k} \times \mathbf{r}_{G/B}$

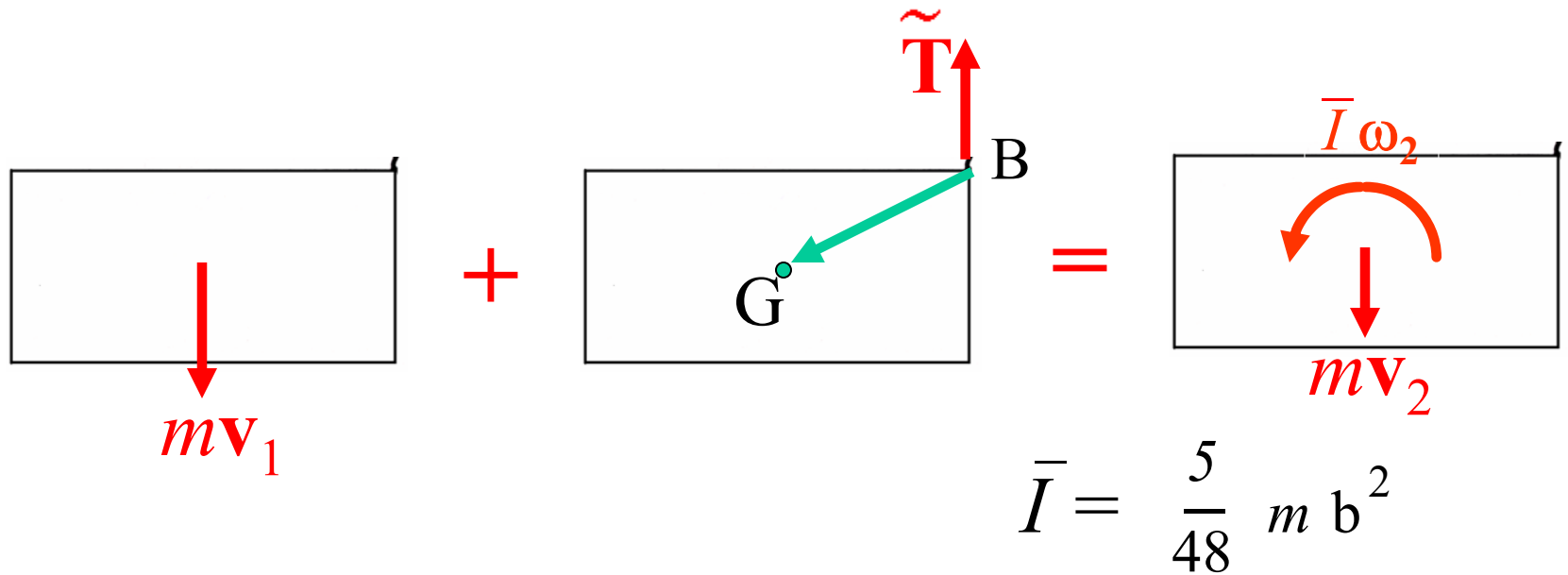
(for position 2 after the impact)

$$-v_{2y} \mathbf{j} = v_B \mathbf{i} + \omega_2 \mathbf{k} \times [(-b/2) \mathbf{i} + (-b/4) \mathbf{j}]$$

$$-v_{2y} \mathbf{j} = v_B \mathbf{i} + \omega_2 [(-b/2) \mathbf{j} + (b/4) \mathbf{i}]$$

$$-v_{2y} = \omega_2 (-b/2)$$

$$0 = v_B + \omega_2 (b/4)$$



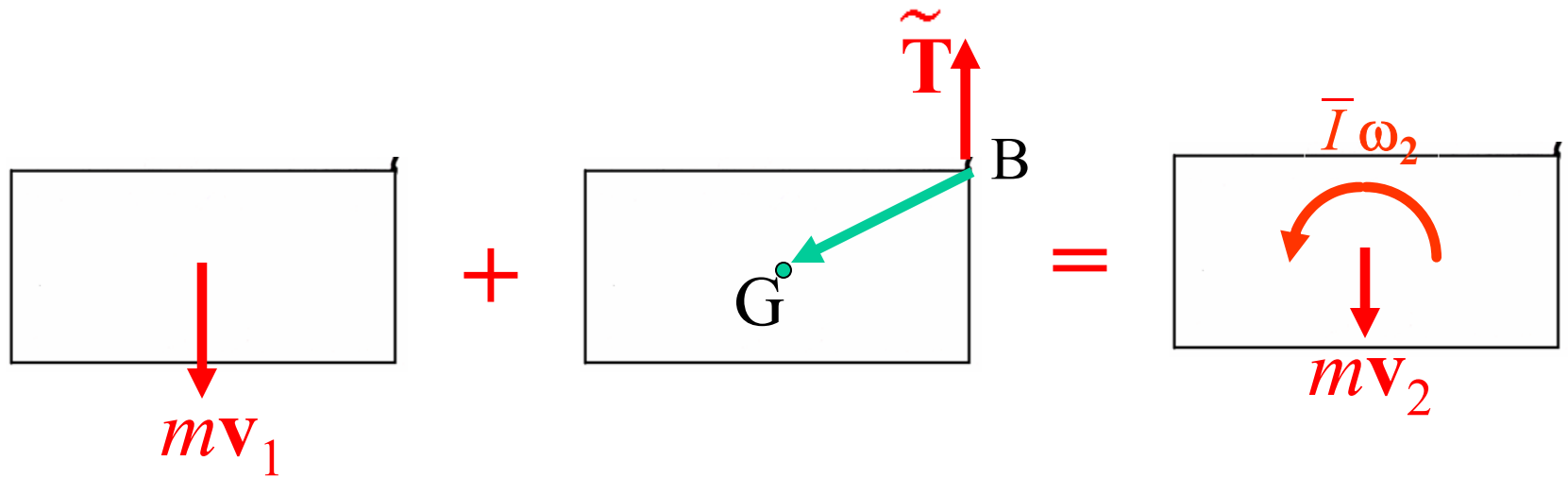
$$\rightarrow \quad 0 + 0 = m v_{2x}$$

$$\uparrow \quad - m v_1 + T = m v_{2y}$$

$$B) \quad \left[0 + \frac{b}{2} m v_1 \right] + 0 = \left[\bar{I} \omega_2 + \frac{b}{2} m v_{2y} \right]$$

Kinematics:

$$- v_{2y} = \omega_2 (-b/2)$$



$$B) \quad \left[0 + \frac{b}{2} m v_1 \right] + 0 = \left[\bar{I} \omega_2 + \frac{b}{2} m v_{2y} \right]$$

Kinematics: $-v_{2y} = \omega_2 (-b/2)$ $\bar{I} = \frac{5}{48} m b^2$

$$\frac{b}{2} m v_1 = \frac{5}{48} m b^2 \omega_2 + \frac{b}{2} m \omega_2 (-b/2)$$

$$\omega_2 = \frac{24}{17} \frac{v_1}{b} \quad v_{2y} = \frac{12}{17} v_1$$

17.140 A square block of mass m is falling with a velocity \bar{v}_1 when it strikes a small obstruction at B . Assuming that the impact between corner A and the obstruction B is perfectly plastic, determine immediately after the impact (a) the angular velocity of the block (b) the velocity of its mass center G .

17.141 Solve Prob. 17.140, assuming that the impact between corner A and the obstruction B is perfectly elastic.

